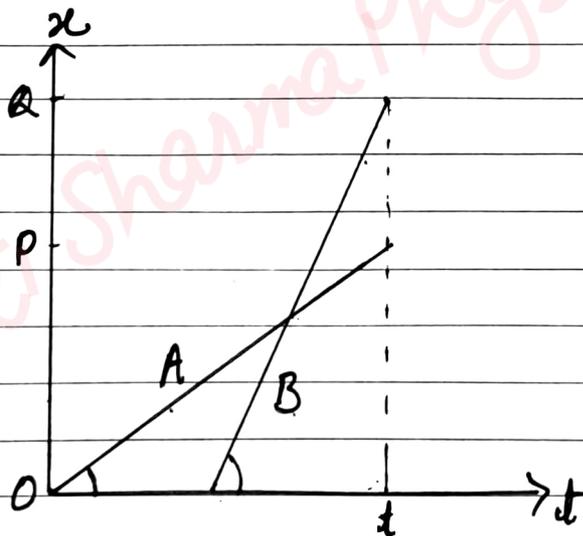


EXERCISE SOLUTION

- 1(a) Yes, because the size of railway carriage is very small as compared to the distance between two stations.
- (b) Yes, because monkey is very small as compared to the circular track.
- (c) No, because turning of ball is not smooth. Thus the distance covered by the ball is not large enough to consider the ball as a point object.
- (d) No, because the distance covered by the tumbling beaker is not much larger.

2.



- (a) Because $OP < OQ$, hence A lives closer to school than B.
- (b) When $x=0$, $t=0$ for A but for B, t has some non-zero value. Therefore.

A starts from the school earlier than B.

- (c) Slope of graph for B > slope for A. Therefore speed of B > speed of A. i.e. B walks faster than A.
- (d) Since 't' is same for both A and B for P and Q position, we can see. A and B reach home at the same time.
- (e) x-t graph for A and B intersect only once. Hence B overtakes A on the road once.

3. Time taken by woman to reach the office

$$= \frac{\text{distance}}{\text{speed}} = \frac{s}{v}$$

$$= \frac{2.5}{5} = \frac{1}{2} \text{ hr} = 30 \text{ min}$$

Therefore she reaches the office at 9.30 a.m.
She stays at the office between 9.30 to 5.00 p.m.

Now

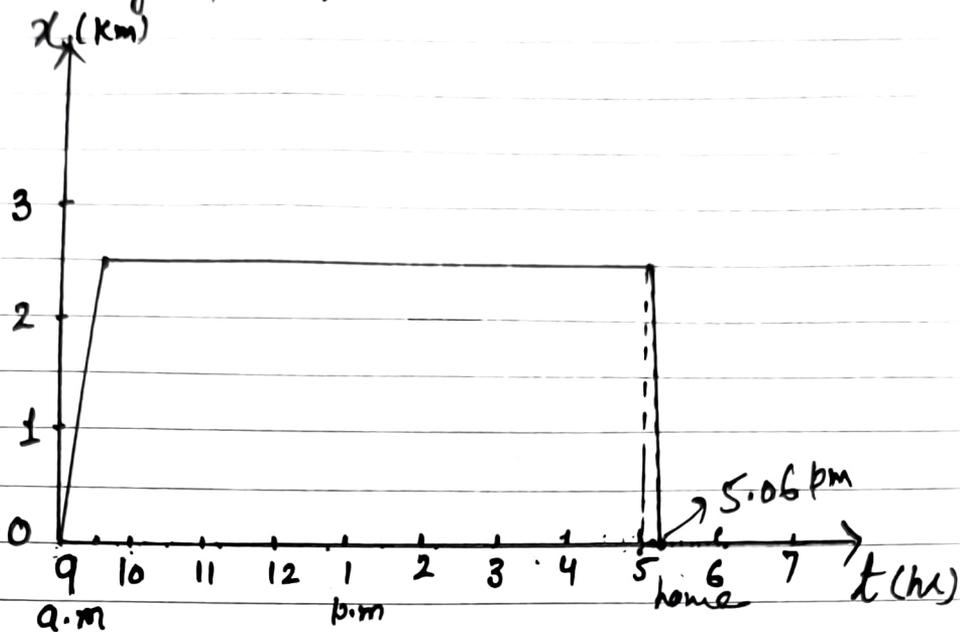
time taken for the return journey

$$= \frac{\text{distance}}{\text{speed}}$$

$$= \frac{2.5}{25} = \frac{1}{10} \text{ hr} = 6 \text{ min.}$$

Hence she reaches at home at 5.06 p.m.

The $x-t$ graph for the woman's motion



4.

The drunkard takes 5 steps forward and 3 steps backward and so on.

Each step is 1 m long and requires time 1 sec.
So,

time taken to travel 2 m = 8 sec.

\therefore time taken to travel 8 m = $\frac{8 \times 8}{2} = 32$ sec.

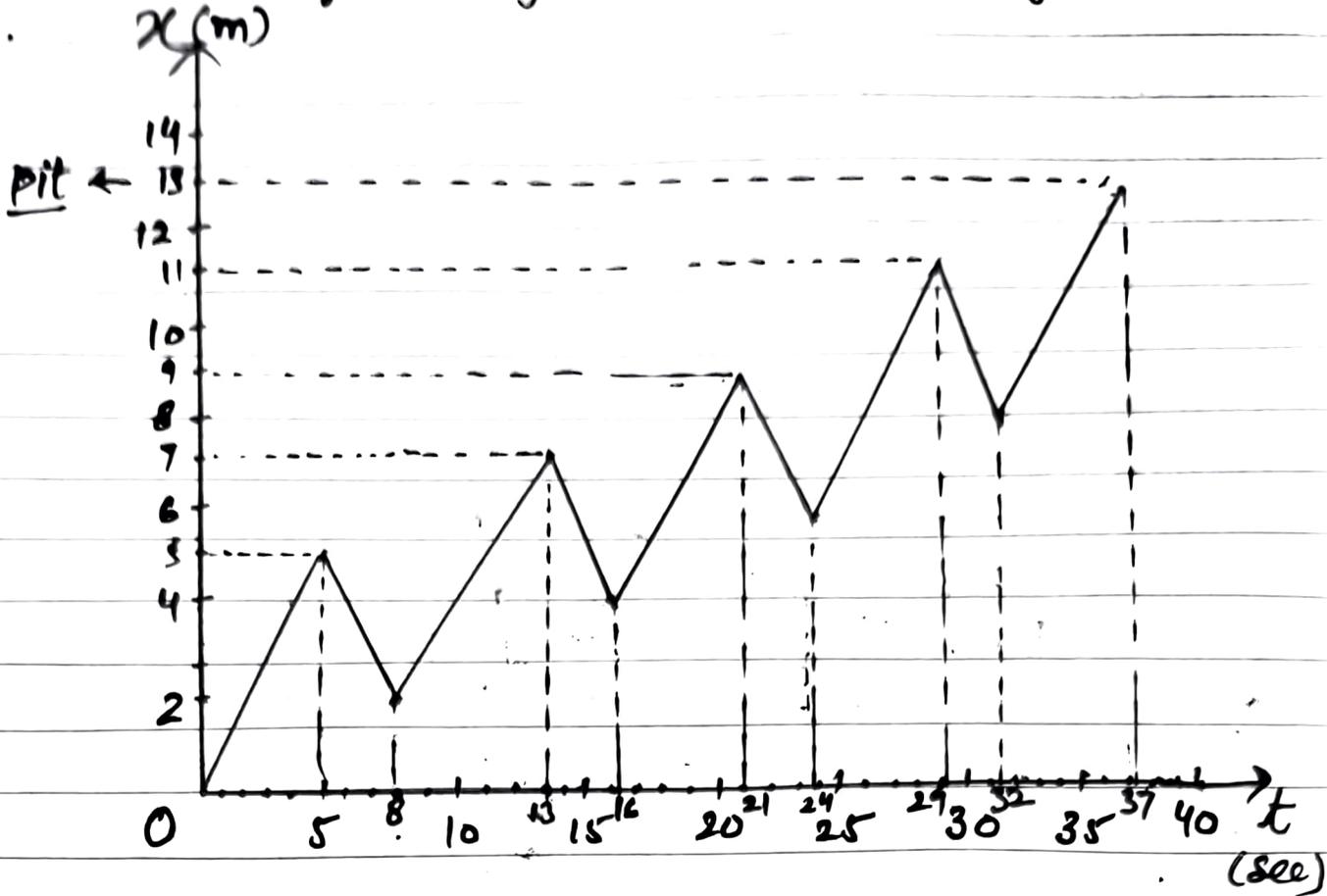
In the last 5 sec man will cover 5 steps. i.e.

the distance = 13 m (= 8 + 5) m

and time taken to cover 13 m = $32 + 5$
= 37 sec.

Hence man will take 37 sec to fall into a pit 13 m away.

The $x-t$ graph for the motion of drunkard



3.6

Initial speed of the car $u = 126 \text{ km/h}$

$$= \frac{126 \times 1000}{60 \times 60} \text{ m/s}$$

$$= 126 \times \frac{5}{18}$$

$$= 7 \times 5$$

$$u = 35 \text{ m/s}$$

Final speed $v = 0$ distance covered $s = 200 \text{ m}$

Use

$$v^2 - u^2 = 2as$$

$$(0)^2 - (35)^2 = 2 \times a \times 200$$

$$\text{or } a = \frac{-(35)^2}{2 \times 200} = \frac{-1225}{400}$$

$$= -3.06 \text{ m/s}^2 \quad \underline{\text{Ans}}$$

Now we use

$$v = u + at$$

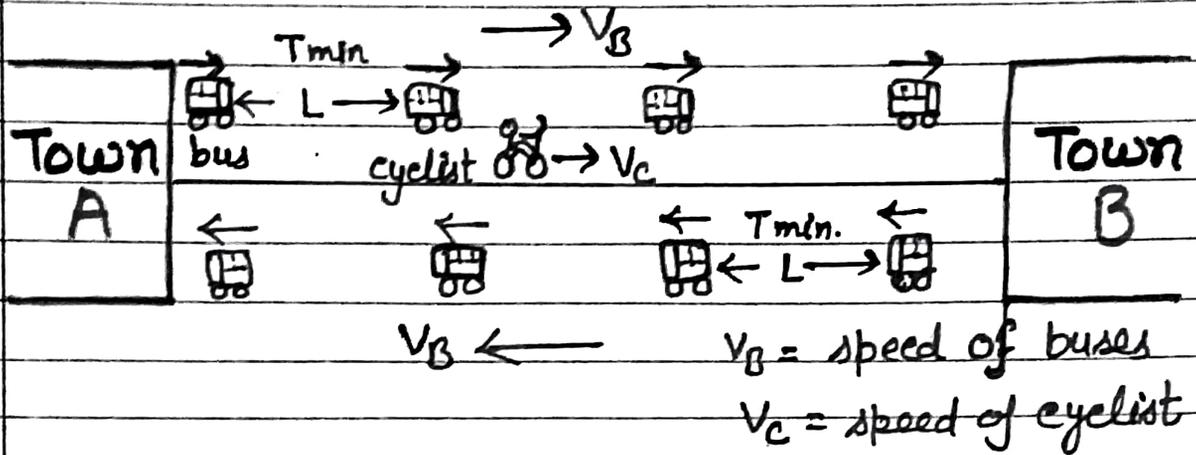
$$0 = 35 - 3.06 \times t$$

$$\text{or } t = \frac{35}{3.06} = 11.4 \text{ sec}$$

Ans

3.9 *x (not in new book)*

NCERT Exercise



Let the speed of bus $= V_B$
 Distance travelled by bus in $T_{min} = L$
 Speed of cyclist $V_C = 20 \text{ km/h}$

For the buses leaving from town A

$$L = V_B \times \frac{T}{60} \text{ km} \quad [\because T_{min} = \frac{T}{60} \text{ hrs}]$$

w.r. to cyclist

$$L = (V_{Bc}) \times \frac{18}{60} \quad [V_{Bc} = \text{Relative speed of bus w.r. to cyclist}]$$

or $L = (V_B - V_C) \times \frac{18}{60}$ — (1) $[V_B \text{ and } V_C \text{ have same direction}]$

For the buses leaving from town B

$$L = V_B \times \frac{T}{60}$$

w.r. to cyclist

$$L = V_{Bc} \times \frac{6}{60}$$

$L = (V_B + V_C) \times \frac{6}{60}$ — (2) $[V_B \text{ and } V_C \text{ have opposite direction}]$

From eqⁿ (1) and (2)

$$(V_B - V_C) \frac{18}{60} = (V_B + V_C) \frac{6}{60}$$

$$\text{or } 3(V_B - V_C) = V_B + V_C$$

$$\text{or } 3V_B - V_B = 3V_C + V_C$$

$$\text{or } 2V_B = 4V_C$$

$$\text{or } V_B = 2V_C$$

$$= 2 \times 20$$

$$[\because V_C = 20 \text{ km/h}]$$

$$V_B = 40 \text{ km/h } \underline{\text{Ans}}$$

Now put the value of V_B in relation

$$\cancel{L = V_B \times \frac{18}{60}}$$

$$L = (V_B - V_C) \times \frac{18}{60} \quad [\text{eq}^n (1)]$$

$$L = (40 - 20) \times \frac{18}{60} = 20 \times \frac{18}{60} = 6$$

$$\text{or } L = 6 \text{ km}$$

Now by using $L = V_B \times \frac{T}{60}$

$$T = \frac{60 \times L}{V_B} = \frac{60 \times 6}{40}$$

$$T = 9 \text{ min}$$

Ans

2.6

Topic.....

Date.....

3.10 (a)

for vertical motion

Acceleration due to gravity (g) is always in downward direction:

(b)

Velocity at highest point

$$v=0$$

and $g = 9.8 \text{ m/s}^2$ vertically downwards

(c)

During upward motion

(i) Position is +ve

(ii) velocity is -ve

(iii) accⁿ due to gravity g is +ve ($a=g$)

During downward motion

(i) Position is +ve

(ii) Velocity is +ve

(iii) g is +ve(d) $u = -29.4 \text{ m/s}$, $v=0$, $a=g=9.8 \text{ m/s}^2$ by $v^2 = u^2 + 2a(x-x_0)$

$$0 = (-29.4)^2 + 2 \times 9.8 (x-x_0)$$

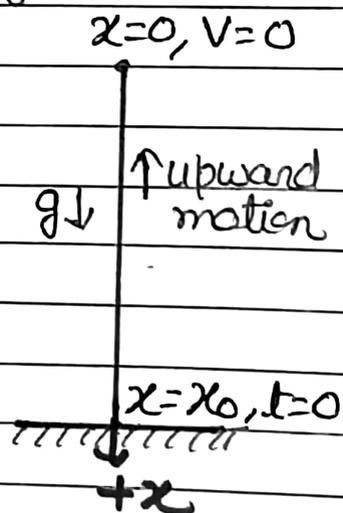
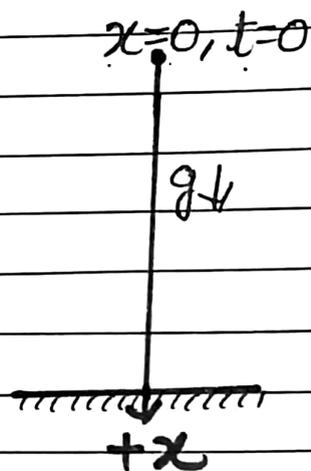
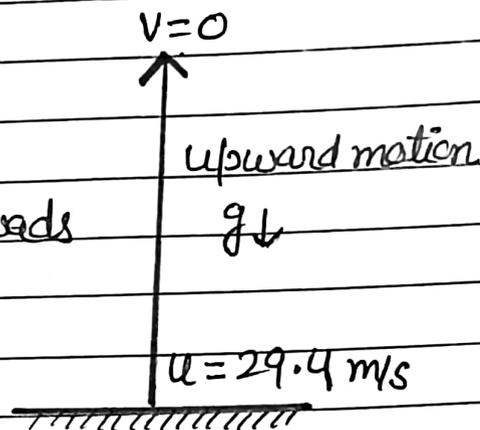
$$\text{or } x-x_0 = \frac{-29.4 \times 29.4}{2 \times 9.8}$$

$$\text{or } x-x_0 = \frac{-88.2}{2} = -44.1$$

$$\text{or } 0-x_0 = -44.1 \quad [x=0]$$

$$\text{or } x_0 = 44.1 \text{ m}$$

i.e. ball rise upto 44.1 m.



Teacher's Sign

Also,

$$v = u + at$$

$$\therefore 0 = -29.4 + 9.8 \times t$$

$$\text{or } t = 3 \text{ sec}$$

total time in which ball return to the player's

$$\text{hand} = 2t$$

$$= 2 \times 3 = 6 \text{ sec} \quad \underline{An}$$

2.7

3.11

(a) True

At highest point of the motion the body is at rest for a moment but the acceleration due to gravity (g) is vertically downwards.

(b) False

If a particle has non-zero velocity, it must have speed.

(c) True

When a particle is moving with uniform velocity acceleration is zero. ($\because a = \frac{\Delta v}{\Delta t}$)

(d) False

It depends on the coordinate system taken to explain the motion of the particle.

2.8

Topic.....

Date.....

3.12

When the ball falls from
90 m height -
(First drop)

$u = 0$, $h = 90$ m, $g = 10 \text{ m/s}^2$
by

$$v^2 = u^2 + 2gh$$

$$v^2 = 0 + 2 \times 10 \times 90$$

or

$$v = \sqrt{2 \times 900}$$

$$\text{or } v = 30\sqrt{2} \text{ m/s} = 30 \times 1.414 = 42.420 = 42.4 \text{ m/s}$$

by $v = u + gt$

$$t = \frac{v}{g} = \frac{30\sqrt{2}}{10} = 3\sqrt{2} = 3 \times 1.414 = 4.24 \text{ sec}$$

When ball starts first upward motion -
(First rise)

$u = 90\%$ of $30\sqrt{2}$, $v = 0$

$$= \frac{90}{100} \times 30\sqrt{2} = 27\sqrt{2} = 27 \times 1.414$$

$$\text{or } u = 38.1 \text{ m/s}$$

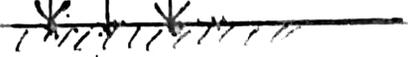
by $v = u + gt$

$$0 = 38.1 - 10t \quad [g \rightarrow -g]$$

$$\text{or } t = 3.81 \text{ sec}$$

First drop ($u=0$)First upward ($v=0$)Second drop ($u=0$)

90 m



When the ball falls second time
(Second drop)

$$t = 3.81 \text{ sec}$$

$$u = 90\% \text{ of } 27\sqrt{2} \text{ (velocity after collision)}$$

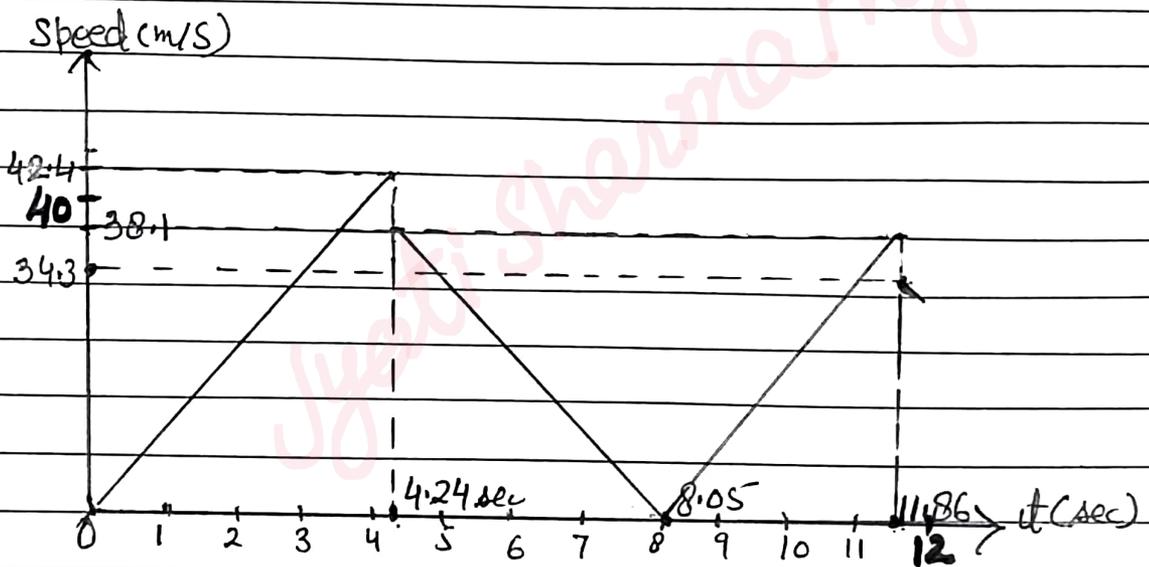
$$= \frac{90}{100} \times 27\sqrt{2} = 24.3\sqrt{2} \text{ m/s} = 34.3 \text{ m/s}$$

Now the total time taken by the ball

$$t_T = 4.24 + 3.81 + 3.81$$

$$t_T = 11.86 \text{ sec}$$

Thereafter body starts second upward motion



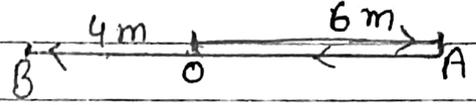
$$4.24 + 3.81 = 8.05 \text{ sec}$$

2.9

3.13

(a) Magnitude of displacement can be equal or less than path length but cannot be greater than path length.

e.g.



Suppose a body moves from 'O' to A then 'A' to 'B'. Here displacement = -4 m

and path length = 6 + 6 + 4 = 16 m

We can see mag. of displacement = 4 m

and path length = 16 m

both can be equal for 1d motion only.

(b) for above case let the total time = 10 sec.

Mag. of Average velocity = $\frac{4}{10} = 0.4 \text{ m/s}$

and average speed = $\frac{16}{10} = 1.6 \text{ m/s}$

i.e average speed can be greater or equal to the mag. of average velocity but cannot be less than mag. of velocity.

both can be equal for 1d motion only.

2.10

3.14

(a) Given distance of markets = 2.5 km
 Speed of man while going to market $V_1 = 5 \text{ km/h}$
 " " " " returning to home $V_2 = 7.5 \text{ km/h}$

Time taken to reach the market

$$t_1 = \frac{S}{V_1} = \frac{2.5}{5} = \frac{1}{2} \text{ hr} = 30 \text{ min}$$

Time taken to reach home from market

$$t_2 = \frac{S}{V_2} = \frac{2.5}{7.5} = \frac{1}{3} \text{ hr} = 20 \text{ min}$$

$$\text{Average velocity} = \frac{\text{Total displacement}}{\text{Total time}}$$

and

$$\text{Average Speed} = \frac{\text{Total distance}}{\text{Total time}}$$

(i) 0 to 30 min

In 30 min. man reaches to market.

therefor

$$|\text{Average velocity}| = \frac{2.5}{0.5} = 5 \text{ km/h}$$

$$\text{Average speed} = \frac{2.5}{0.5} = 5 \text{ km/h}$$

(ii) 0 to 50 min

In 50 min, man reaches to home.

i.e displacement = 0

So

$$\text{Average velocity} = 0$$

and

$$\text{Average speed} = \frac{2.5 + 2.5}{50/60} \quad \left[\because 50 \text{ min} = \frac{50}{60} \text{ hr} \right]$$

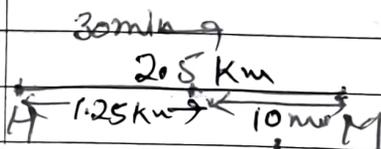
$$= \frac{5 \times 6}{5} = 6 \text{ km/h}$$

(iii) 0 to 40 min

In first 30 min. man reaches market.

In remaining 10 min he covers distance with speed of 7.5 km/h.

$$\text{i.e } S = 7.5 \times \frac{10}{60} = \frac{7.5}{6} = 1.25 \text{ km}$$



$$\text{Average velocity} = \frac{\text{Total displacement}}{\text{Total time}}$$

and

$$\text{Average Speed} = \frac{\text{Total distance}}{\text{Total time}}$$

(i) 0 to 30 min

In 30 min. man reaches to market.

therefor

$$|\text{Average velocity}| = \frac{2.5}{0.5} = 5 \text{ km/h}$$

$$\text{Average speed} = \frac{2.5}{0.5} = 5 \text{ km/h}$$

(ii) 0 to 50 min

In 50 min, man reaches to home.

i.e displacement = 0

So

$$\text{Average velocity} = 0$$

and

$$\text{Average speed} = \frac{2.5 + 2.5}{50/60} \quad \left[\because 50 \text{ min} = \frac{50}{60} \text{ hr} \right]$$

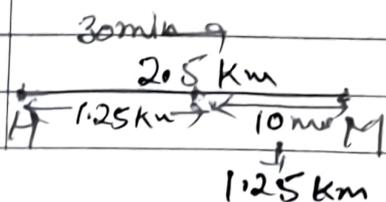
$$= \frac{5 \times 6}{5} = 6 \text{ km/h}$$

(iii) 0 to 40 min

In first 30 min. man reaches market.

In remaining 10 min he covers distance with speed of 7.5 km/h.

$$\text{i.e } S = 7.5 \times \frac{10}{60} = \frac{7.5}{6} = 1.25 \text{ km}$$



$$\begin{aligned} \text{So } |\text{Average velocity}| &= \frac{2.5 - 1.25}{40/60} \\ &= \frac{1.25 \times 6^3}{42} \\ &= \frac{3.75}{2} = 1.875 \text{ km/h} \end{aligned}$$

and

$$\begin{aligned} \text{Average speed} &= \frac{2.5 + 1.25}{40/60} \\ &= \frac{3.75 \times 6^3}{42} = \frac{11.25}{2} \\ &= 5.625 \text{ km/h} \end{aligned}$$

2.11
3.15

Instantaneous velocity of a particle is velocity at any instant of time. In small interval of time $|\text{displacement}| = \text{distance}$

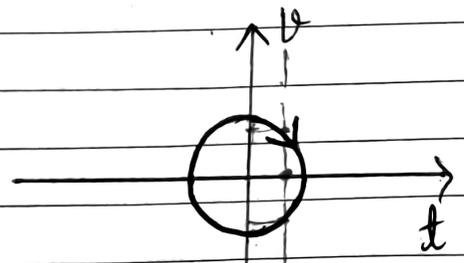
Therefore,

$|\text{Instantaneous velocity}| = \text{Instantaneous speed}$

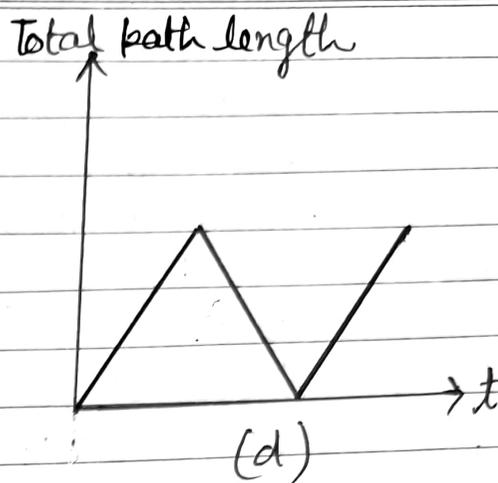
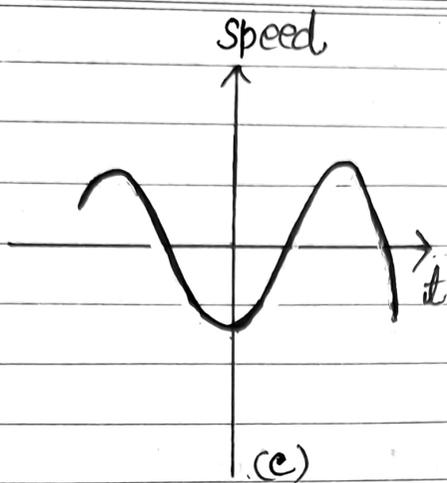
$$\text{Instantaneous velocity/speed} = \lim_{\Delta t \rightarrow 0} \frac{\Delta x}{\Delta t} = \frac{dx}{dt}$$

2.12
3.16

(a)

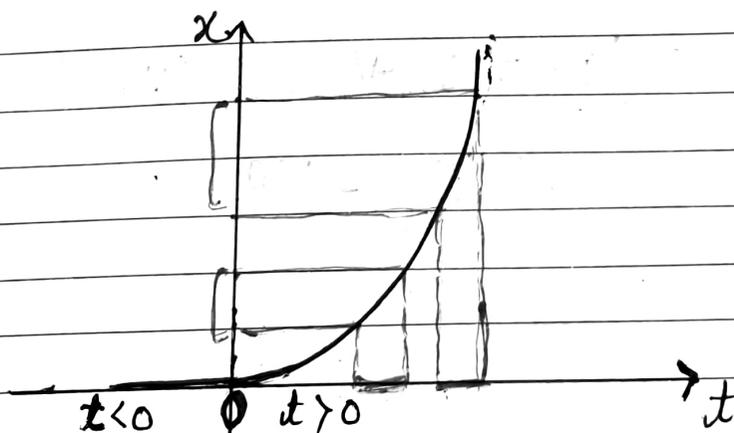


(b)



- (a) Not possible because graph shows two different values of position (x) for one value of time.
- (b) Not possible because for one value of time there are two different velocities.
- (c) Not possible because speed cannot be $-ve$.
- (d) Not possible because total path length cannot decrease with time.

2.13
3.17



No, according to graph particle is not in the motion for $t < 0$.

As the graph is for one dimensional motion, it cannot represent parabolic motion. So it is not

correct to say that particle is moving on parabolic path for $t > 0$.

The graph can represent the motion of freely falling particle, under gravity.

2.14
3.18.

Given,

Speed of police van

$$V_p = 30 \text{ km/h} = \frac{30 \times 5}{18} = \frac{25}{3} \text{ m/s}$$

Speed of thief's car

$$V_t = 192 \text{ km/h} = \frac{192 \times 5}{18} = \frac{160}{3} \text{ m/s}$$

Speed of bullet $V_b = 150 \text{ m/s}$

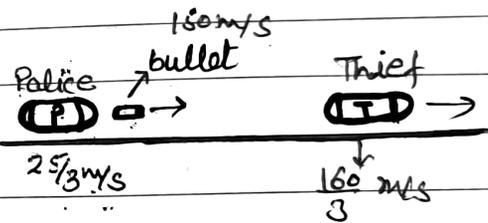
\therefore Speed of bullet for thief

$$V_{bp} = V_p + V_b$$

($V_b \rightarrow$ speed of bullet)

$$= \frac{25}{3} + 150$$

$$= \frac{475}{3} \text{ m/s}$$



Now relative speed of bullet w.r.to thief's car

$$V_{bt} = V_{bp} - V_t \quad [\because \text{both are in same dir}]$$

$$= \frac{475}{3} - \frac{160}{3}$$

$$= \frac{315}{3}$$

$$V_{bt} = 105 \text{ m/s}$$

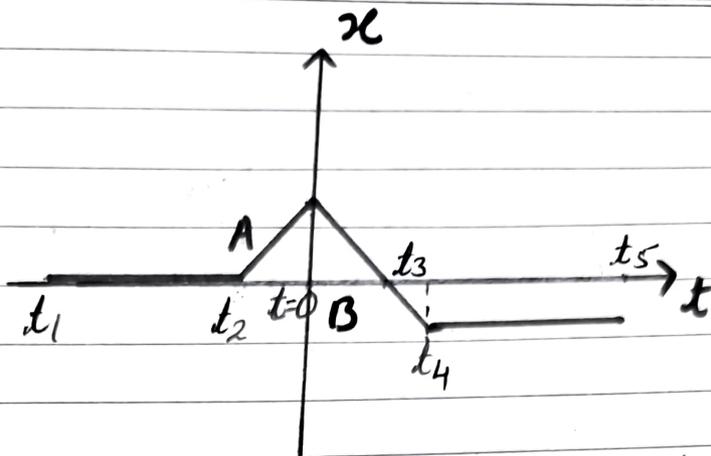
Hence, bullet hit the thief's car with speed of 105 m/s.

Am

2.15

3.19

(a)



The $x-t$ graph shows that

from t_1 to t_2 particle is at rest.
 from t_2 to $t=0$ particle moves with uniform velocity.

from $t=0$ to t_3 particle moves with uniform velocity in opposite direction and reaches its initial position.

from t_3 to t_4 particle continues its uniform motion in -ve x axis.

from t_4 to t_5 particle is in rest again.

Physical situation

The graph may represent a physical situation as a ball at rest on a smooth floor is kicked, it rebounds from a wall with reduced speed and moves to the opposite wall which stops it.

